

# DRAPE : DRessing Any PErson

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BROWN

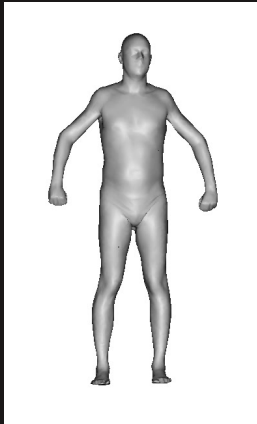
Conflict of Interest Disclosure: Black is a founder and shareholder of *Any Body Inc.*, which has plans to commercialize 3D body shape technology.



MAX-PLANCK-GESELLSCHAFT

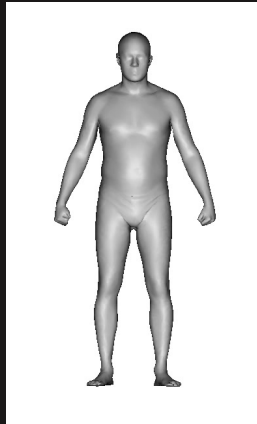
Contribution: Dress any person automatically (any shape, any pose)

shape



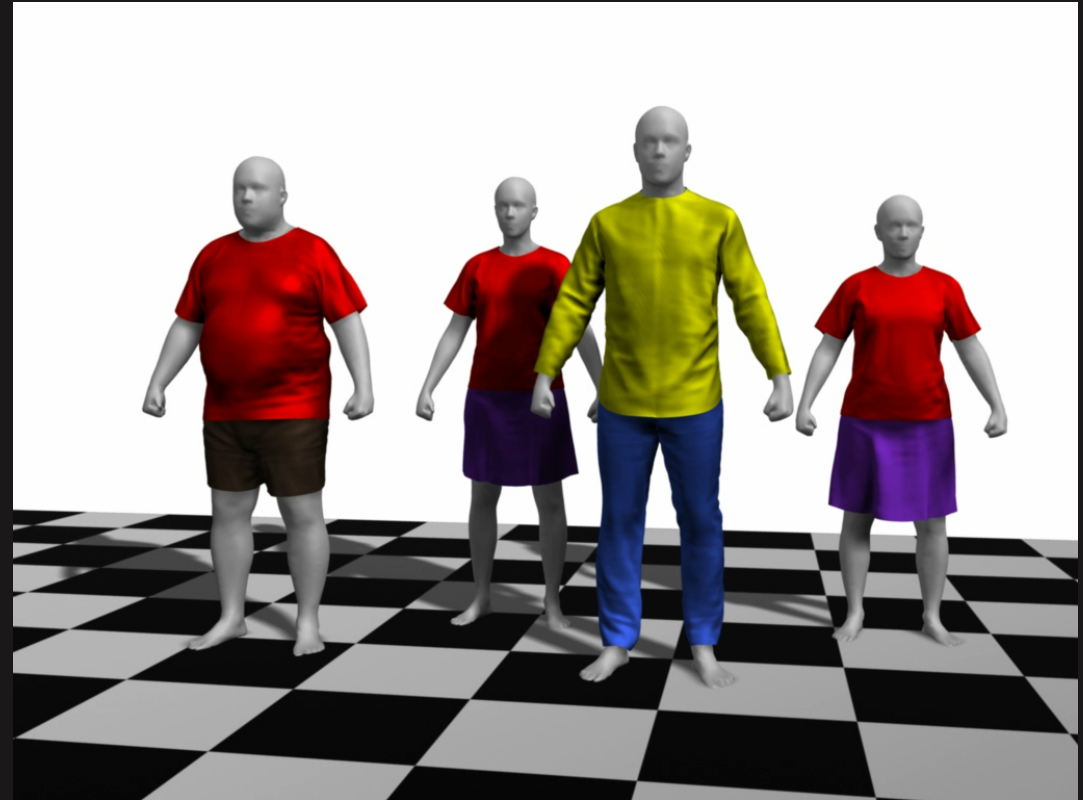
+

pose



=

DRAPE



Realism  
Speed  
Automation

## Clothing simulation (quality)



R. Goldenthal et al. SIGGRAPH 2007

D. Baraff et al. SIGGRAPH 2003

K.J. Choi and H.S. Ko SIGGRAPH 2002

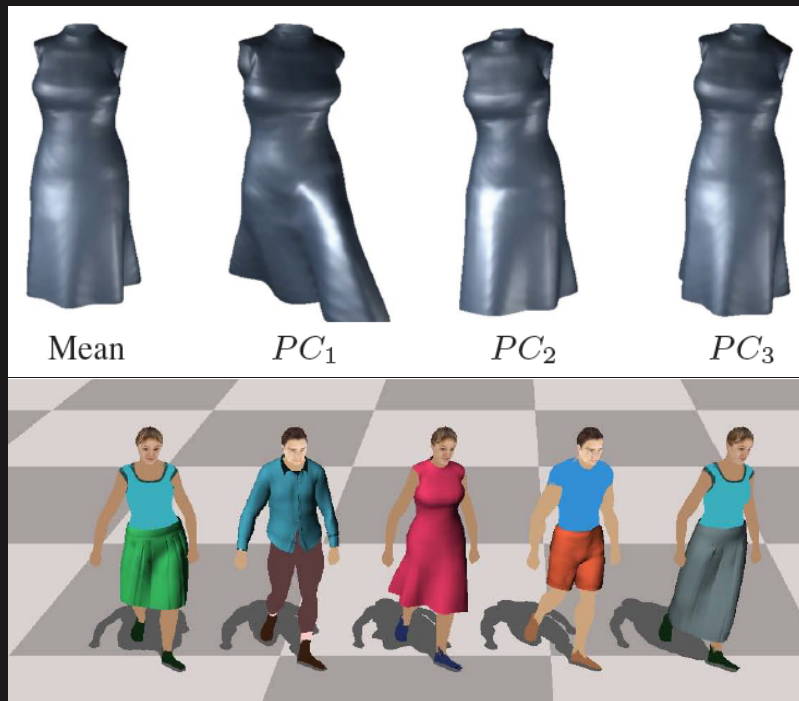
R. Bridson et al. SCA 2003

and many more

### Realism:

- High quality cloth model
- High-res physical-simulation

## Clothing simulation (speed, data-driven)



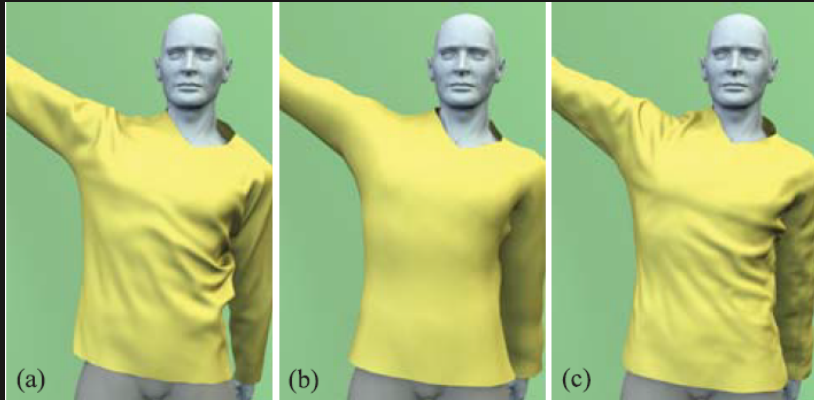
### Real-time speed:

- Low dimensional reduced model
- Dynamics in the reduced space

E.D. Aguiar et al. SIGGRAPH 2010



## Clothing simulation (speed + quality)



H. Wang et al. SIGGRAPH 2010

Learning example



Coarse mesh



Up-sampling

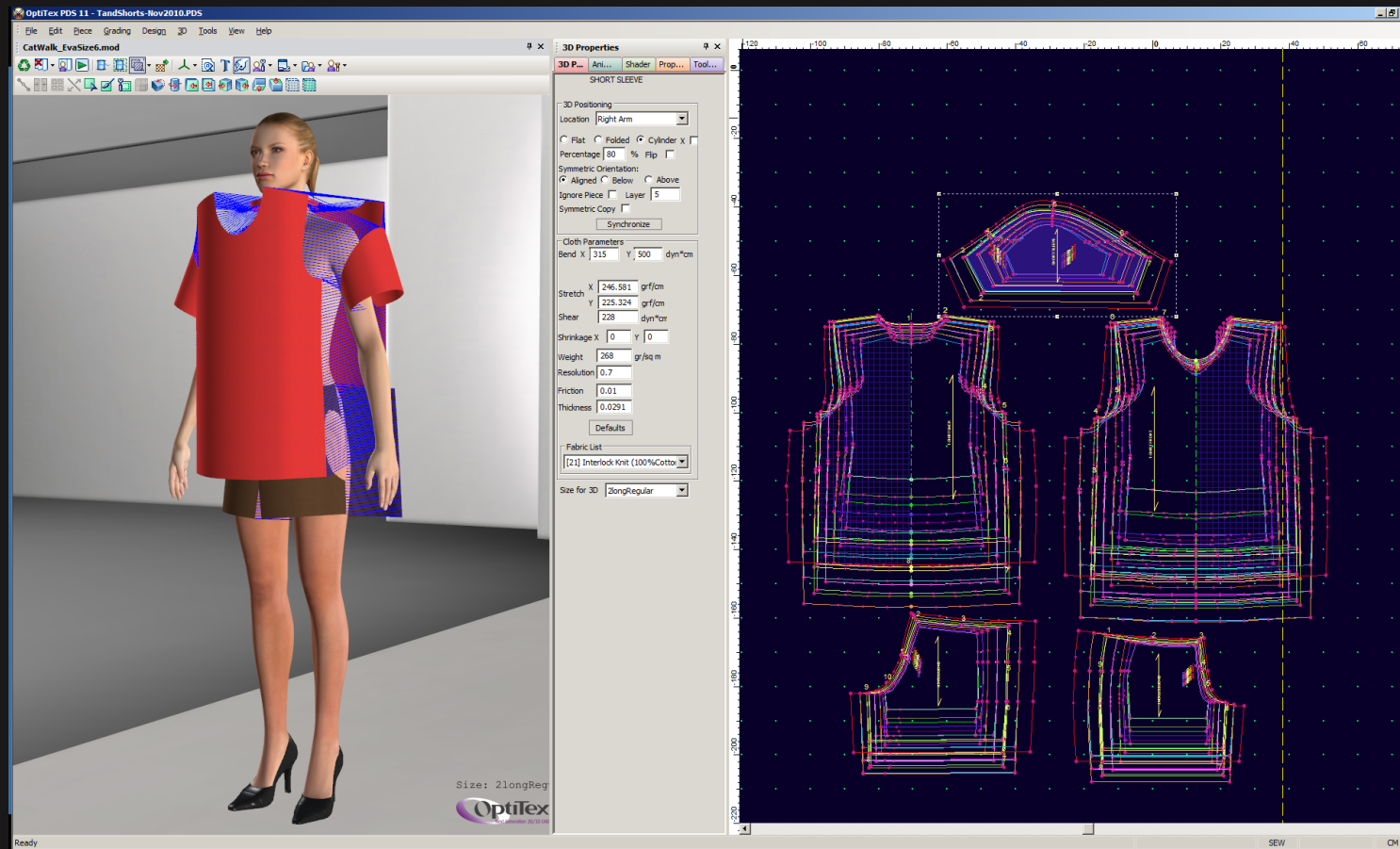


L. Kavan et al. SIGGRAPH 2010

### Balance speed and quality:

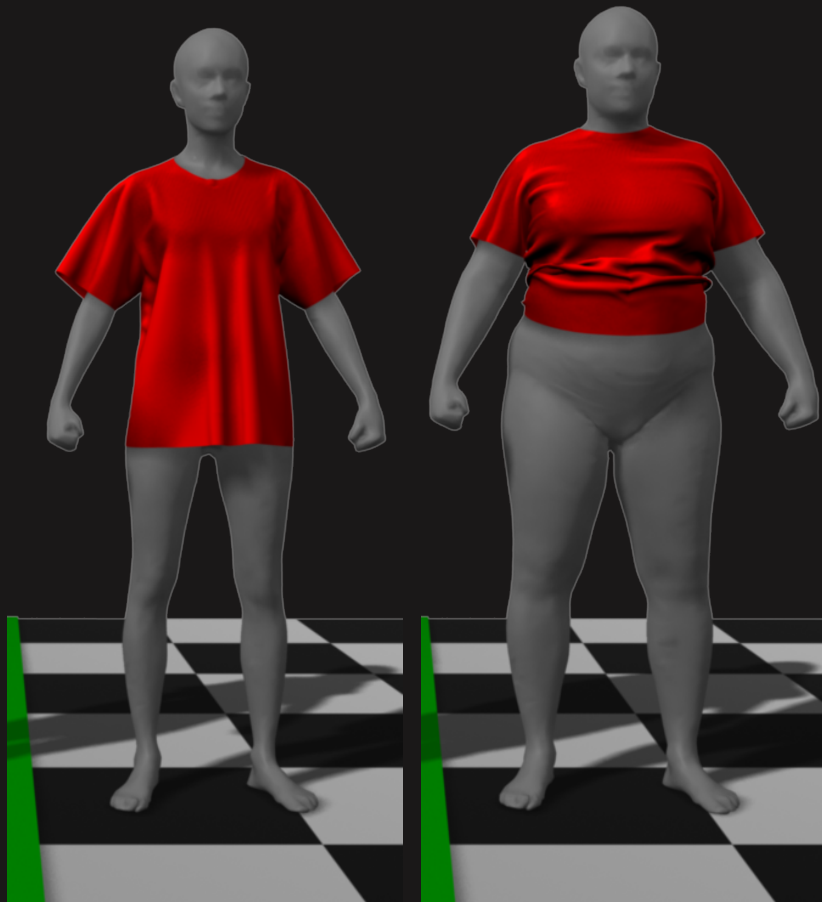
- Low-res physical-simulation
- Mapping to high-res mesh

## Problem : A lot of manual effort



Screenshot from OptiTex – standard pattern design and simulation software

simulation



too large

too small

physical  
simulation with  
incorrect  
clothing size

DRAPE

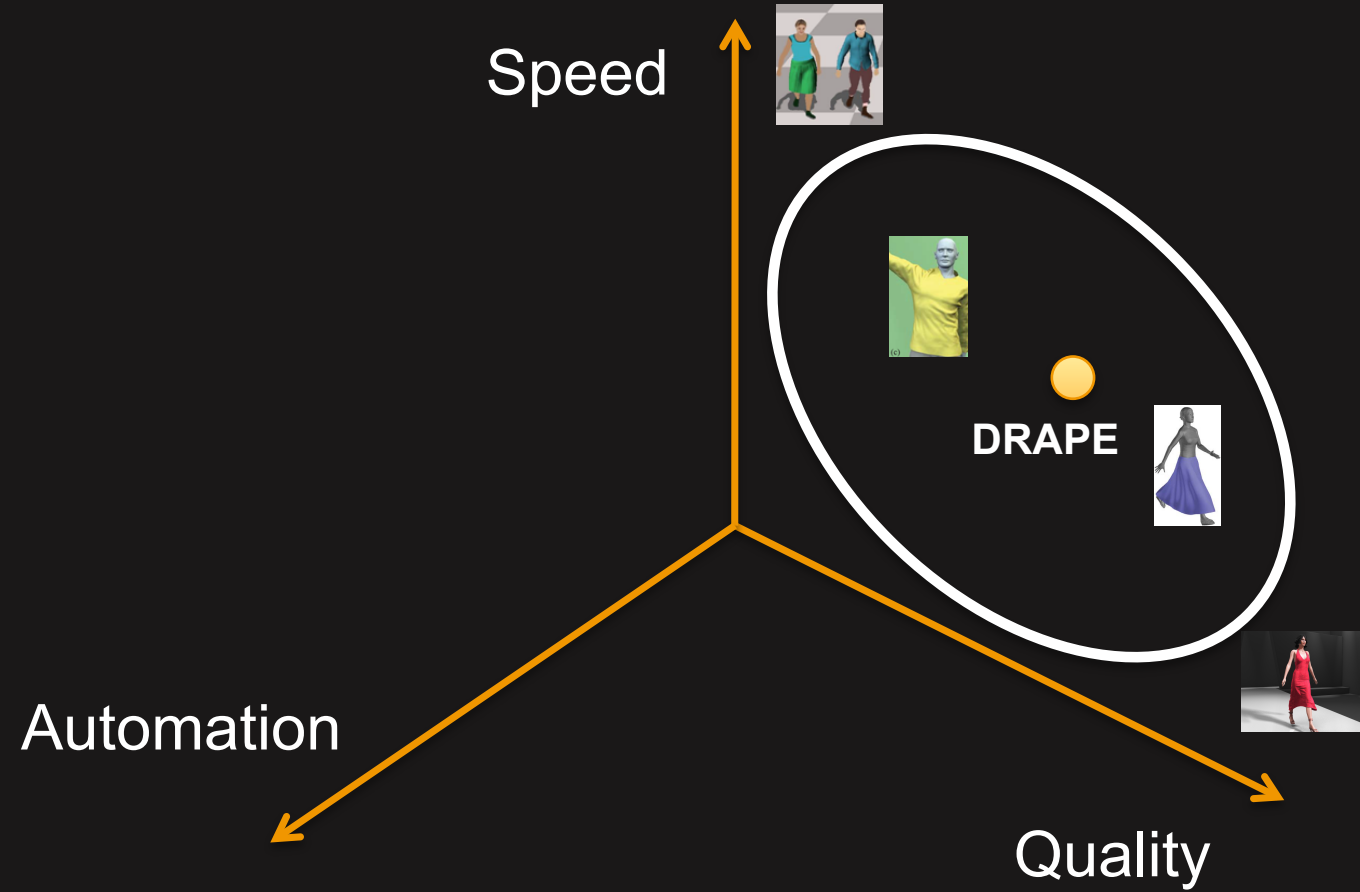


appropriate fit



**DRAPE**  
Animation result

# Clothing simulation



## Applications that require automatic customized fit



OptiTex

### Virtual try-on:

- Arbitrary 3D body shape
- Visualize clothing fit



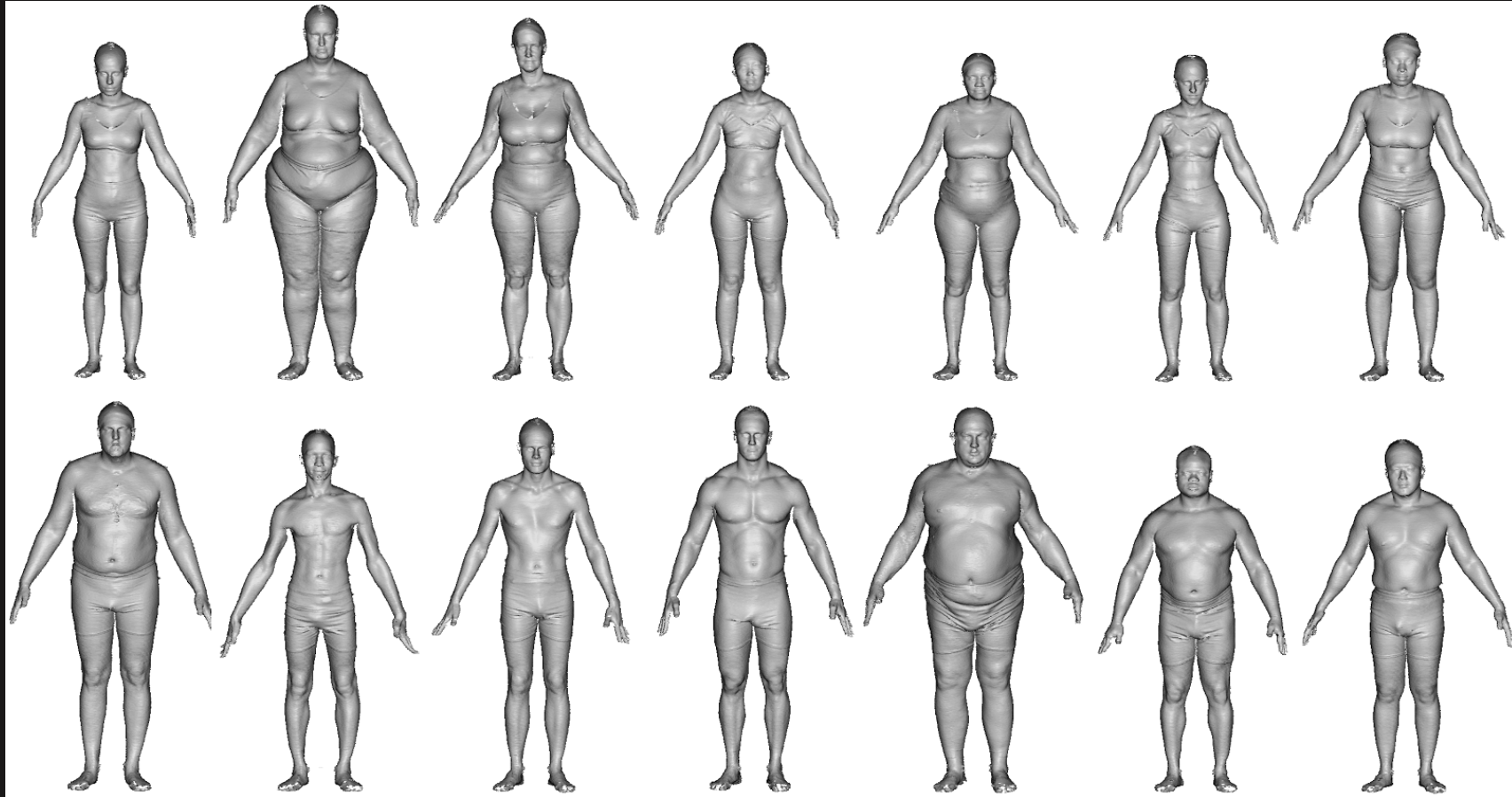
Banana Republic

### On-line clothing retail:

- Arbitrary 3D body shape
- Best size that fits

“Over a third of consumers have bought some of their clothes over the internet in the last year...” — <http://fashion.telegraph.co.uk>

## Problem : Body shape variations

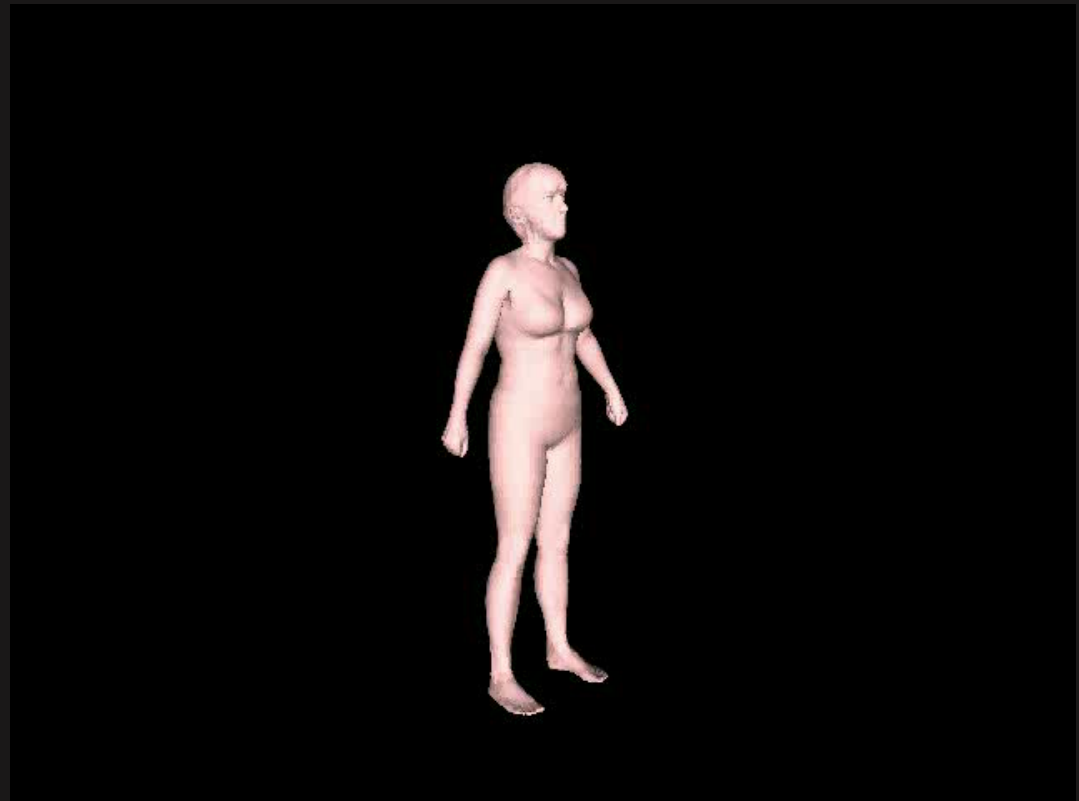


CAESAR Database. Robinette et al. 1999

## Approach

1. Use a parametric model of body shape and pose (SCAPE)

Pose (40 dim):  $\theta$  Joint rotations  
Shape (20 dim):  $\beta$  PCA coefficients

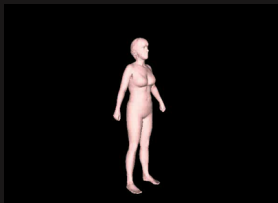
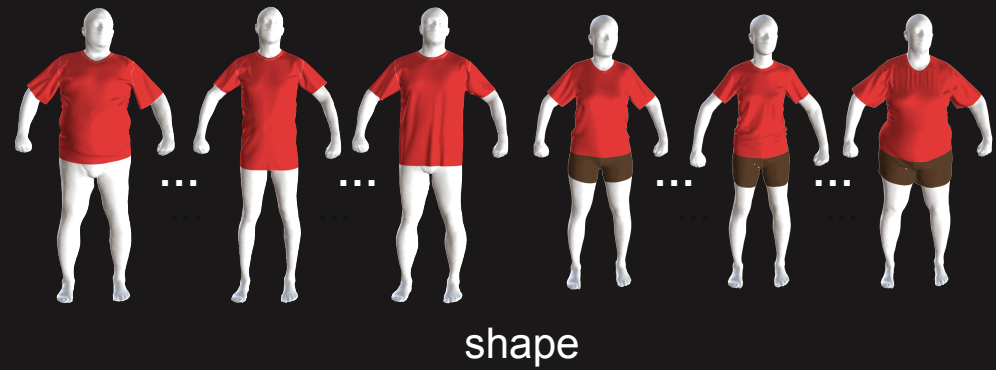
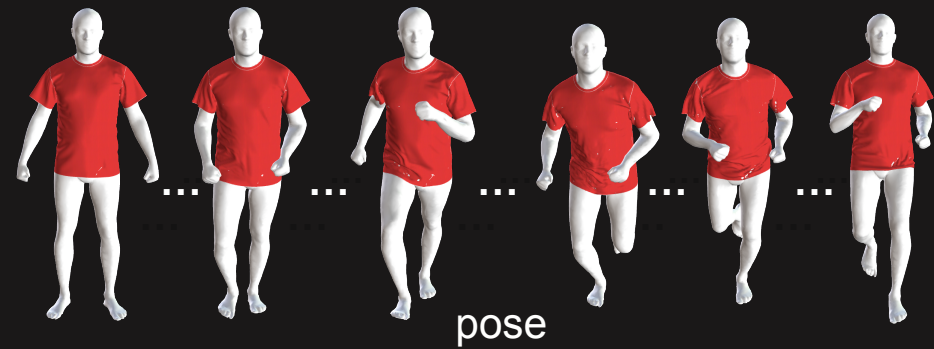


cf . D. Anguelov et al. SIGGRAPH 2005



# Approach

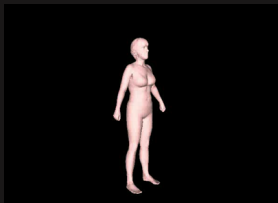
## 2. Dress training bodies



## Approach

3. Learn a mapping  
from body shape to  
clothing shape

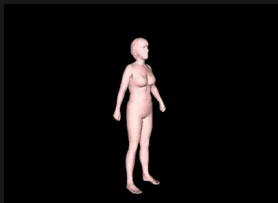
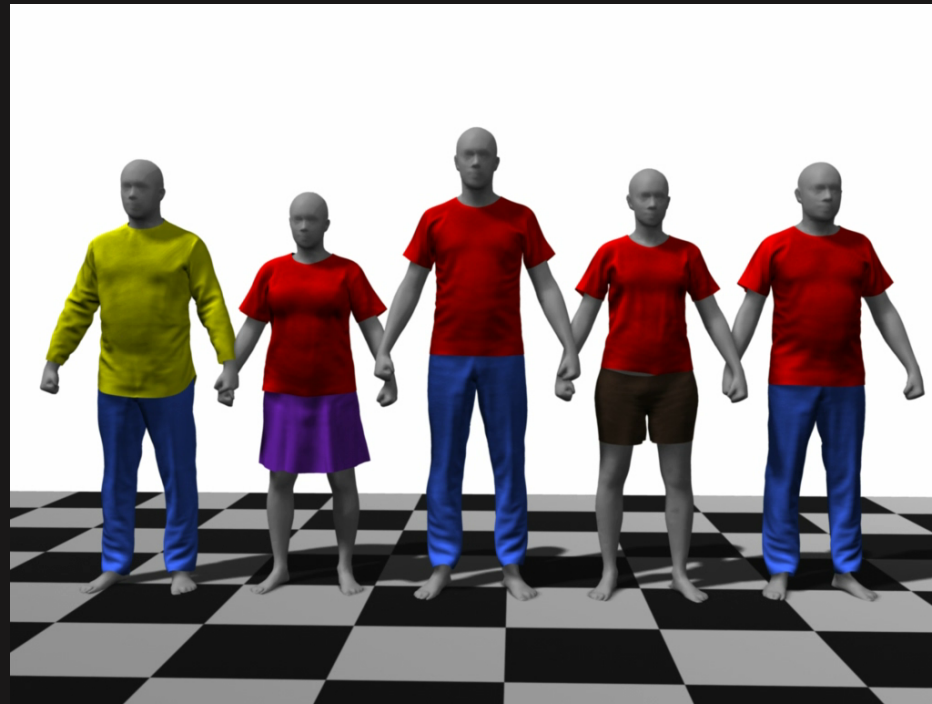
$$\left[ \begin{array}{c} \text{Clothing Shape} \end{array} \right] = W \cdot \left[ \begin{array}{c} \text{Body Shape} \end{array} \right]$$



## Approach

4. Learn second order cloth dynamics to realistically represent detailed wrinkles

E.D. Aguiar et al. SIGGRAPH 2010



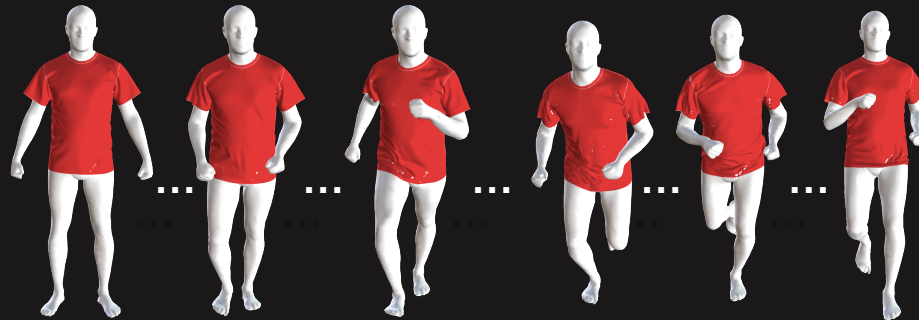
$$\begin{bmatrix} \text{red shirt} & \text{red shirt} & \text{red shirt} \end{bmatrix} = W \cdot \begin{bmatrix} \text{white shirt} & \text{white shirt} & \text{white shirt} \end{bmatrix}$$

# DRAPE : Training data generated by physical simulation

Clothing types



One shape,  
many poses



One pose,  
many shapes



## Learning from physics-based simulation



**Factor training data:  
separate shape and pose**

**Key idea:  
Factoring**

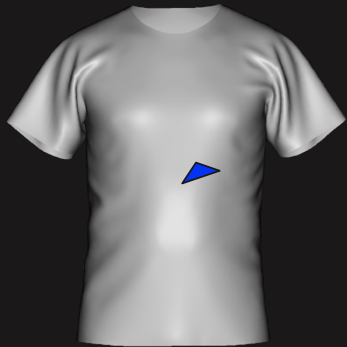
## Learning from physics-based simulation



**Key idea:  
Factoring**

## Deformation gradient (Sumner and Popović, SIGGRAPH 2004)

$\chi$



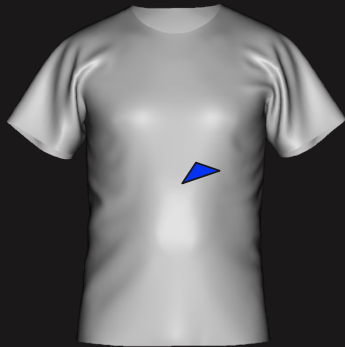
$\gamma$



$T$  triangles,  $V$  vertices

## Deformation gradient (Sumner and Popović, SIGGRAPH 2004)

$\mathcal{X}$



$\mathcal{Y}$



$T$  triangles,  $V$  vertices

$$\begin{bmatrix} ? & ? & ? \\ ? & ? & ? \\ ? & ? & ? \end{bmatrix}$$

Compute  $A_t$  from  $\mathcal{X}$  and  $\mathcal{Y}$

$$A_t \cdot \text{blue triangle}_t = \text{orange triangle}_t$$

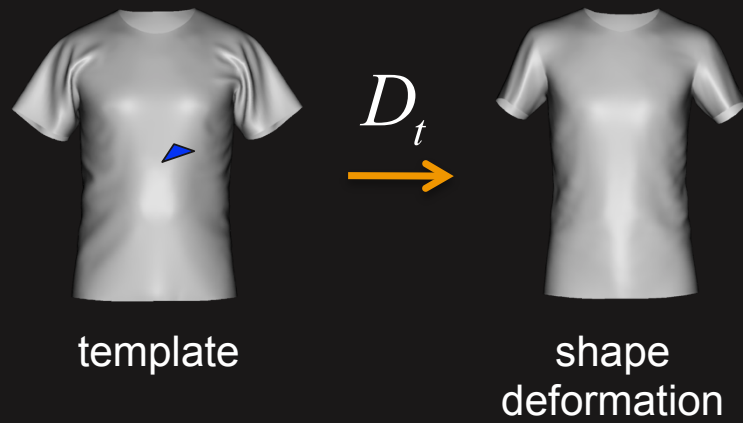
$$t \in [1, T]$$

DRAPE is about modeling  $A_t$



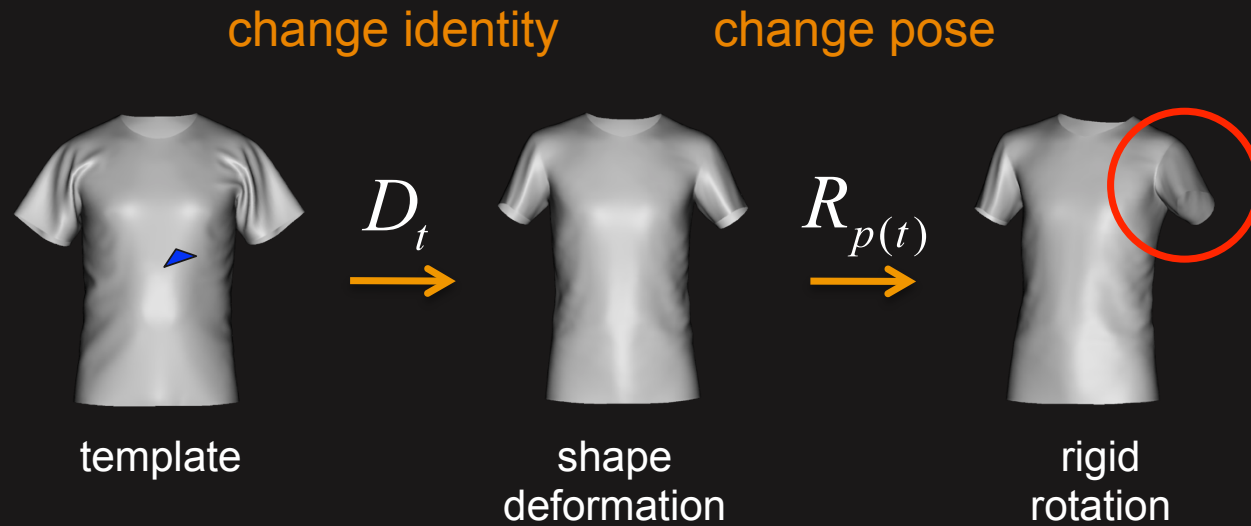
## Factored model

change identity



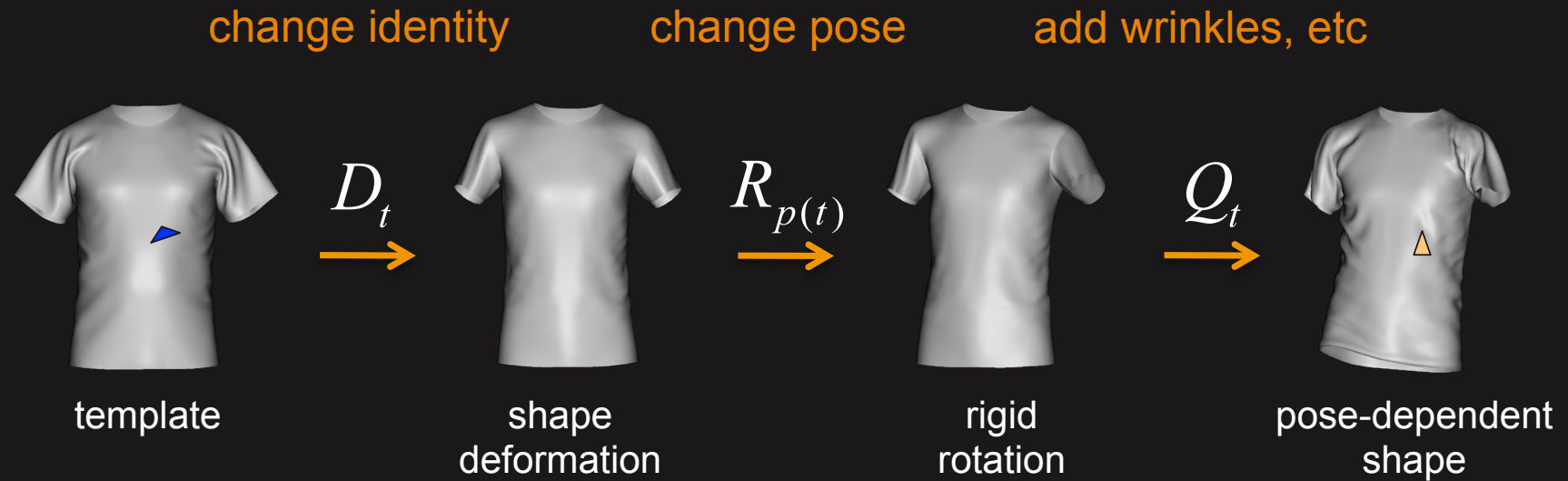
$$A_t = D_t \quad (t \in [1..T])$$

## Factored model



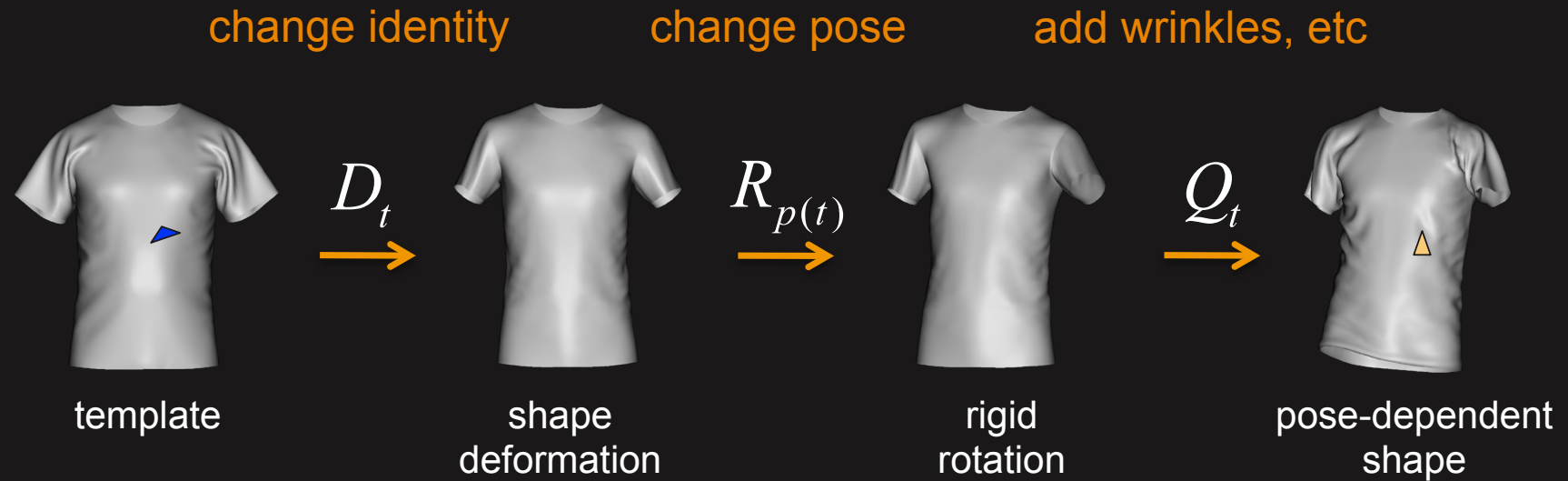
$$A_t = R_{p(t)} \cdot D_t \quad (t \in [1..T])$$

## Factored model



$$A_t = Q_t \cdot R_{p(t)} \cdot D_t \quad (t \in [1..T])$$

## Factored model



$$A_t = Q_t \cdot R_{p(t)} \cdot D_t \quad (t \in [1..T])$$

# Learning shape deformation



$\mathcal{X}$

$\mathbf{y}^j$

$\mathbf{y}^{|S|}$

$$\begin{bmatrix} ? & ? & ? \\ ? & ? & ? \\ ? & ? & ? \end{bmatrix}$$

$$D_1^j = A_1^j$$

$$\begin{bmatrix} ? & ? & ? \\ ? & ? & ? \\ ? & ? & ? \end{bmatrix}$$

$$D_t^j = A_t^j$$

$$\begin{bmatrix} ? & ? & ? \\ ? & ? & ? \\ ? & ? & ? \end{bmatrix}$$

$$D_T^j = A_T^j$$

$$\begin{bmatrix} \cdot & \cdot & \cdot & D_1^j \\ \cdot & \cdot & \cdot & D_t^j \\ \cdot & \cdot & \cdot & D_T^j \end{bmatrix} \in R^{9T \times |S|}$$

## Learning shape deformation

$$\begin{bmatrix} \vdots & D_1^j & \vdots \\ \vdots & D_t^j & \vdots \\ \vdots & D_T^j & \vdots \end{bmatrix} \in R^{9T \times |S|}$$

$$\vec{d}^j$$

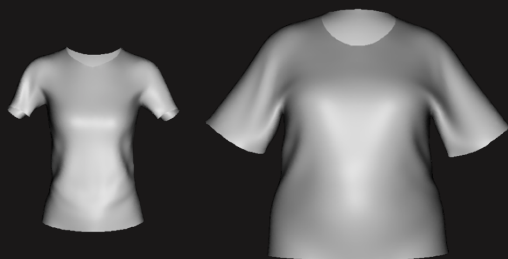
$$S = [.. \vec{d}^j ..]$$

PCA reduce dimensionality:

$$\vec{d} = U_d \cdot \vec{\phi} + \bar{\mu}_d$$

PCA coefficients:  $\vec{\phi}$

## Shape PCA space



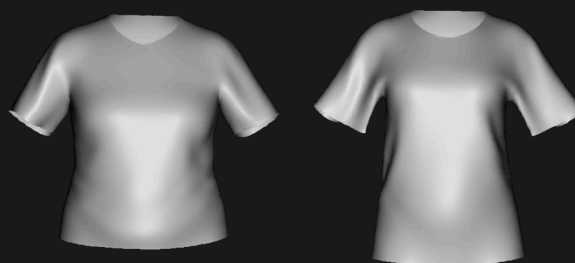
PC1 +/- 3std



PC2 +/- 3std



mean (female)



PC3 +/- 3std

## Adaptation to different body shapes

$$\left[ \begin{array}{c} \text{[Red-shirted man]} \\ \text{[Red-shirted man]} \\ \dots \\ \text{[Red-shirted man]} \end{array} \right] = W \cdot \left[ \begin{array}{c} \text{[Nude man]} \\ \text{[Nude man]} \\ \dots \\ \text{[Nude man]} \end{array} \right]$$

$$[\dots, \vec{\phi}^j, \dots]$$

clothing shape

$$[\dots, \vec{\beta}^j, \dots]$$

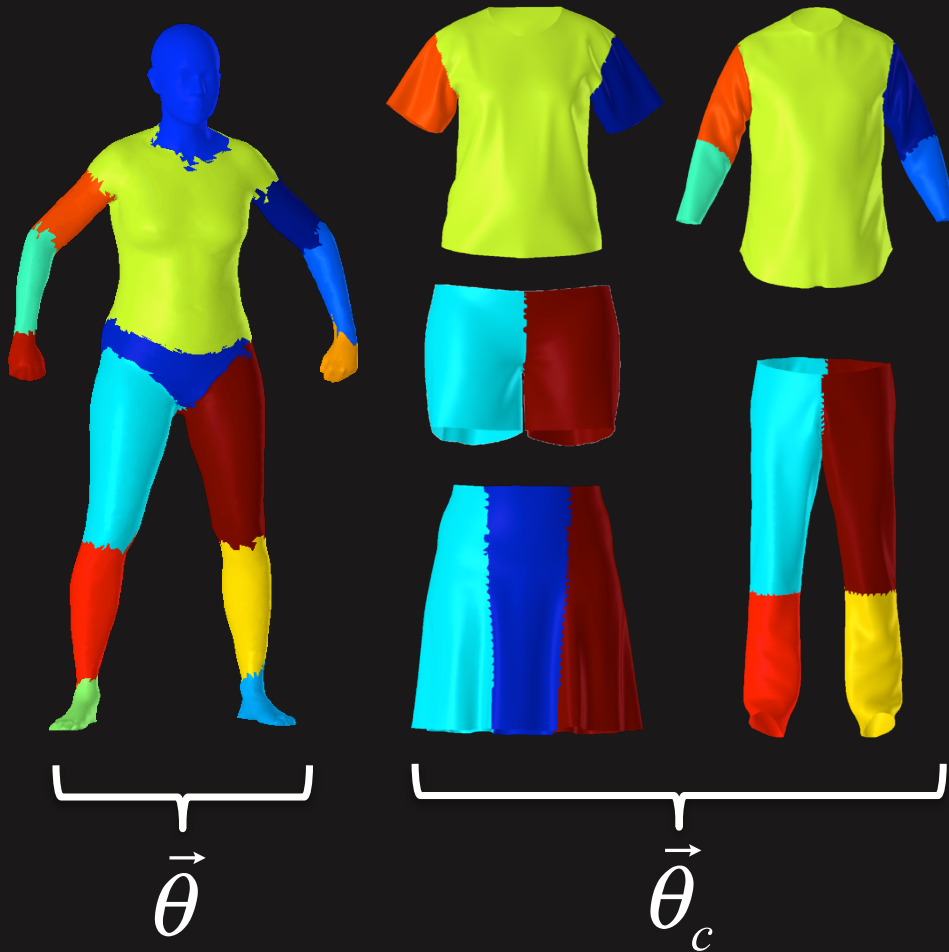
body shape

$$W = \arg \min_W \left( \sum_j \| W \cdot \vec{\beta}^j - \vec{\phi}^j \|^2 + \lambda \cdot \| W \|^2 \right)$$

$$\vec{\phi}^* = W \cdot \vec{\beta}$$



## Rigid part rotation



Rigid part rotation of every triangle  $t$  in part  $p$

$$R_{p(t)}(\vec{\theta}_c)$$

# Learning non-rigid pose-dependant shape deformation



$\chi$     $y^1$     $\dots$     $y^i$     $\dots$     $y^{|P|}$

$$\begin{bmatrix} ? & ? & ? \\ ? & ? & ? \\ ? & ? & ? \end{bmatrix}$$

$$Q_1^i = A_1^i \cdot R_{p(1)}^i{}^{-1}$$

$\vdots$

$$\begin{bmatrix} ? & ? & ? \\ ? & ? & ? \\ ? & ? & ? \end{bmatrix}$$

$$Q_t^i = A_t^i \cdot R_{p(t)}^i{}^{-1}$$

$\vdots$

$$\begin{bmatrix} ? & ? & ? \\ ? & ? & ? \\ ? & ? & ? \end{bmatrix}$$

$$Q_T^i = A_T^i \cdot R_{p(T)}^i{}^{-1}$$

$$\begin{bmatrix} \cdot & \cdot & \cdot & Q_1^i & \cdot & \cdot \\ \cdot & \cdot & \cdot & Q_t^i & \cdot & \cdot \\ \cdot & \cdot & \cdot & Q_T^i & \cdot & \cdot \end{bmatrix} \in R^{9T \times |S|}$$

## Learning non-rigid pose-dependent deformation

$$\begin{bmatrix} \vdots & \vdots & \vdots \\ \cdot & \cdot & \cdot \\ \vdots & \vdots & \vdots \\ \vdots & \vdots & \vdots \end{bmatrix} \in R^{9T \times |S|}$$

$$\vec{q}^j$$

$$P = [.. \vec{q}^j ..]$$

PCA reduce dimensionality:

$$\vec{q} = U_q \cdot \vec{\psi} + \vec{\mu}_q$$

PCA coefficients:  $\vec{\psi}$

# Second order cloth dynamics (E.D. Aguiar et al. SIGGRAPH 2010)



$$= f(\bar{\Psi}^f) = f$$

$\vec{\psi}^f$   
pose-  
dependent  
deformation



$\vec{\theta}_c^f$

rigid pose

$\vec{\psi}^{f-1}$

$\vec{\psi}^{f-2}$

$\vec{z}^{f,f-2}$

$\vec{z}^{f-1,f-2}$

position  
velocity  
rotations

# Zero order cloth model (E.D. Aguiar et al. SIGGRAPH 2010)



$\vec{\psi}^f$   
pose  
dependent  
deformation

$= f$



$\vec{\theta}_c^f$

rigid pose

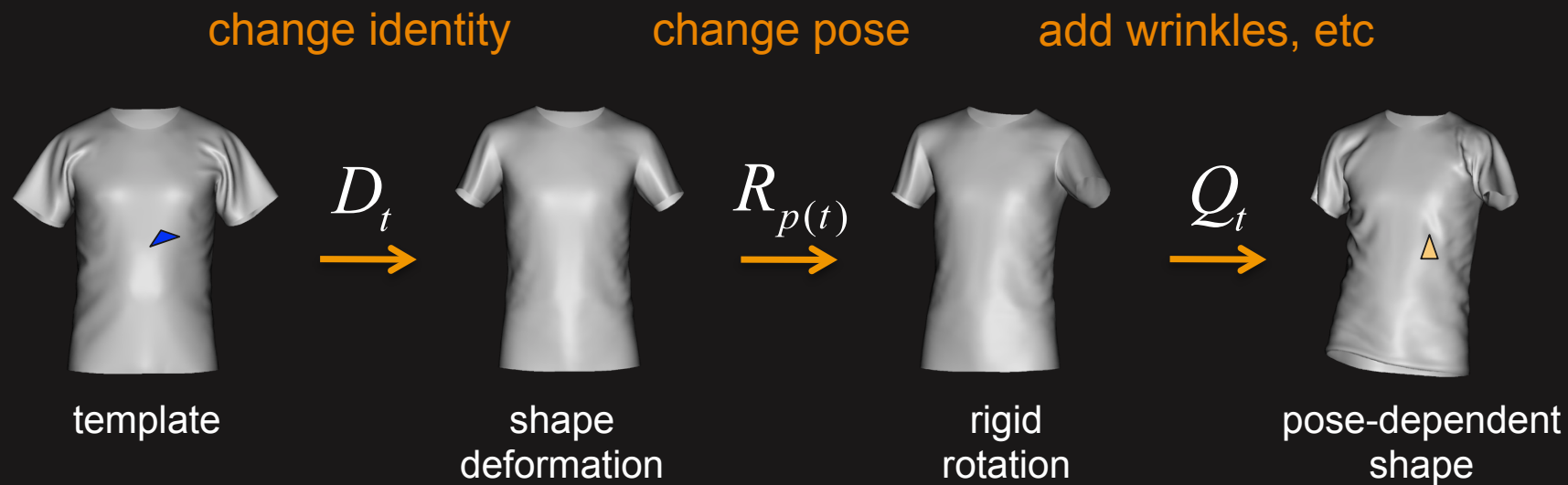
With dynamics



Without dynamics



## Deformation process recap



$$A_t = Q_t(\bar{\Psi}^f) \cdot R_{p(t)}(\bar{\theta}_c^f) \cdot D_t(\vec{\beta})$$

# Interpenetration





## Remove penetration gradually using iterative least squares

Key : efficiency



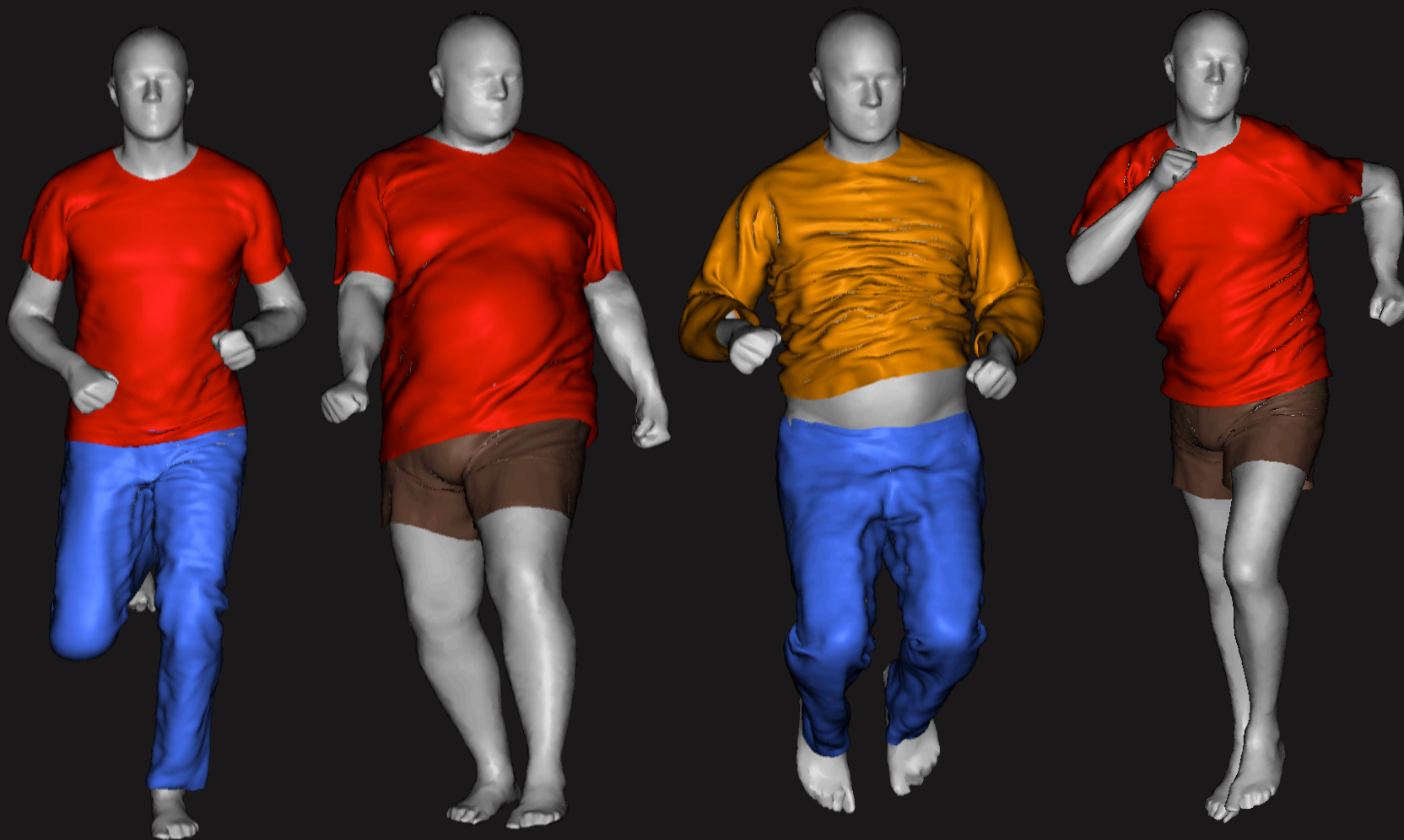
initial

after 1<sup>st</sup> iter

done

Least squares  
solve with  
quadratic error  
function

## Examples



## Examples



## Key performance summary

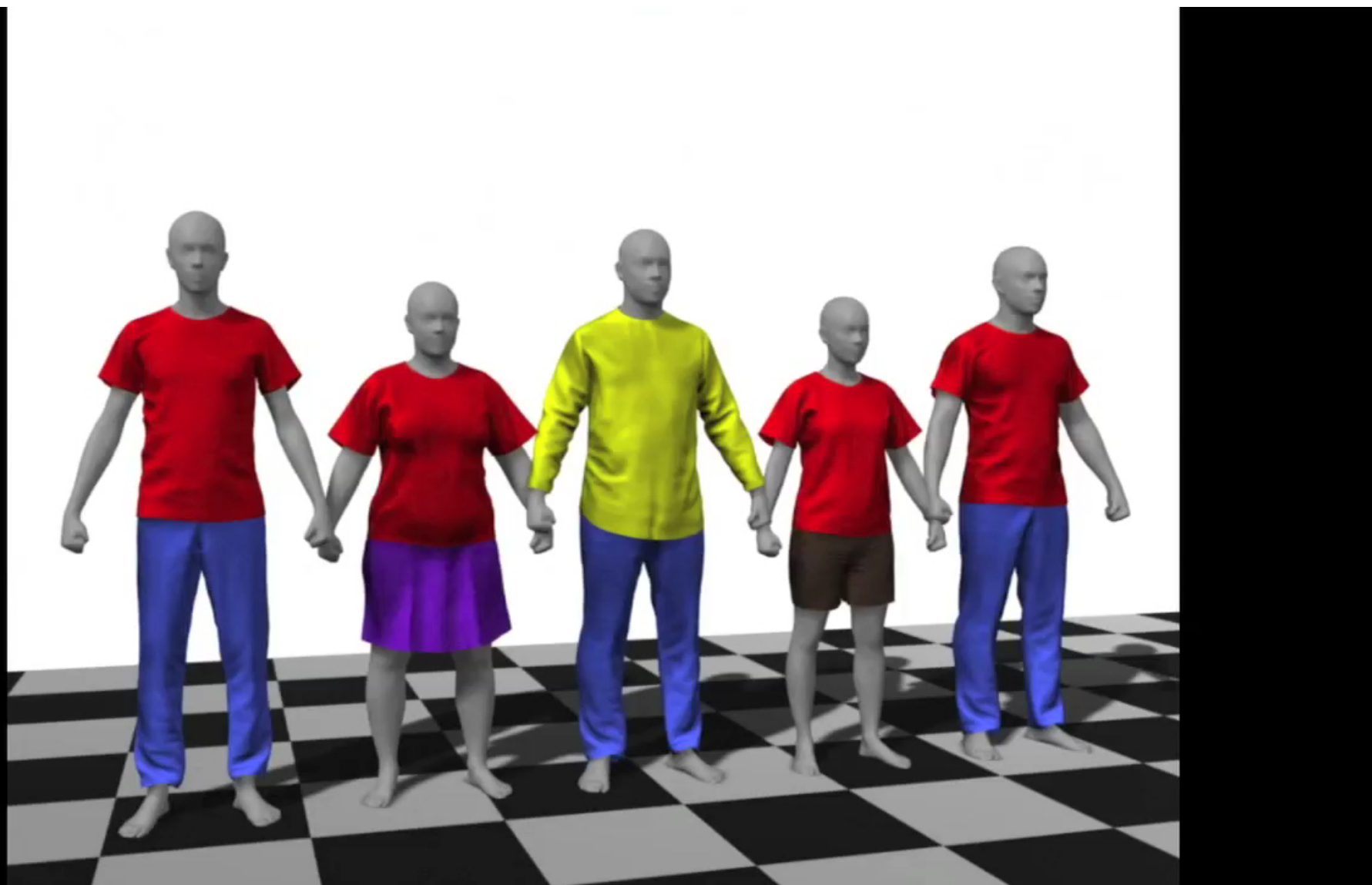
Mesh Resolution: 20-30 K triangles

Speed (single frame):

- DRAPE: 0.4 - 0.8 sec/frame      90 – 190 times faster
- OptiTex: 20 - 60 sec/frame

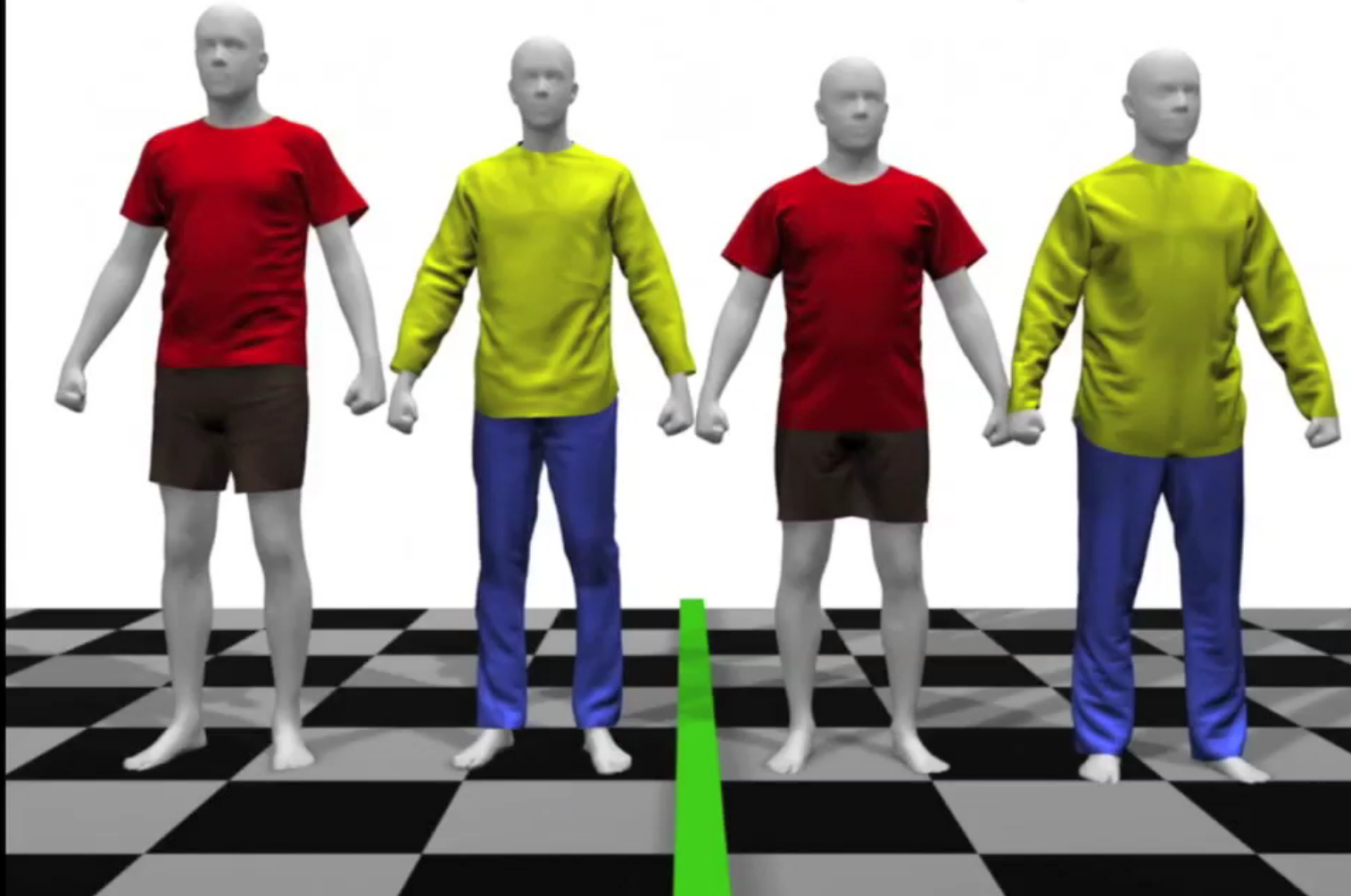
Speed (in animation):

- DRAPE: 0.4 – 0.8 sec/frame      7 – 8 times faster
- OptiTex: 2.5 – 6.1 sec/frame



DRAPED

Physics Based



## Future work

### User preference fit

- User preference (tight or loose)
- Model adaption to the user input
- Requires more training data

### DRAPE as initialization for physical simulation

- Use DRAPE to automatically predict initial clothing

### Multi-linear clothing model

- Pose-dependent deformation also as a function of body shape
- Requires more training data

### Make the custom clothing

**DRAPE.** Clothes that fit.



## Fact sheet

### Authors

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